

# A new multi-plume model for the shallow cumulus convection based on the buoyancy-sorting mechanism

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1. Columbia University
2. Harvard University

## **Motivation:**

Comparing with a bulk plume model, a multiple plume(parcel) model has the advantages that

- it can represent heterogeneity among cloudy updrafts.
- it can be used with sophisticated microphysics scheme.
- it allows more realistic representation of entrainment and detrainment.

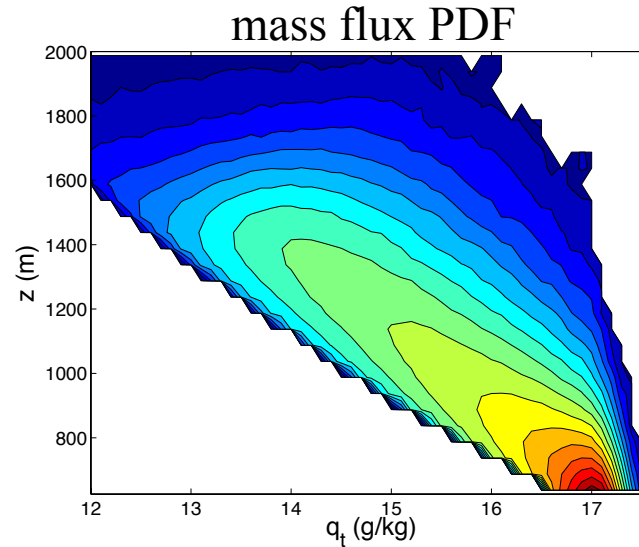
In this talk,

we propose a simply multiple plume model that applies the buoyancy-sorting mechanism to a mapping framework.

**background:**

## **a multiple plume representation of convection**

A multiple plume model should aim to reproduce realistic cloudy updraft PDFs.



Large-Eddy Simulation(LES): SAM 25m  
BOMEX case: shallow cumulus convection

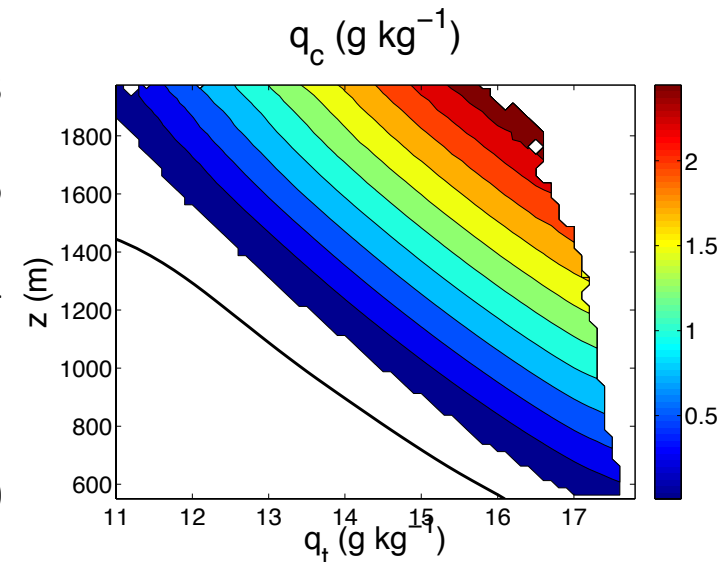
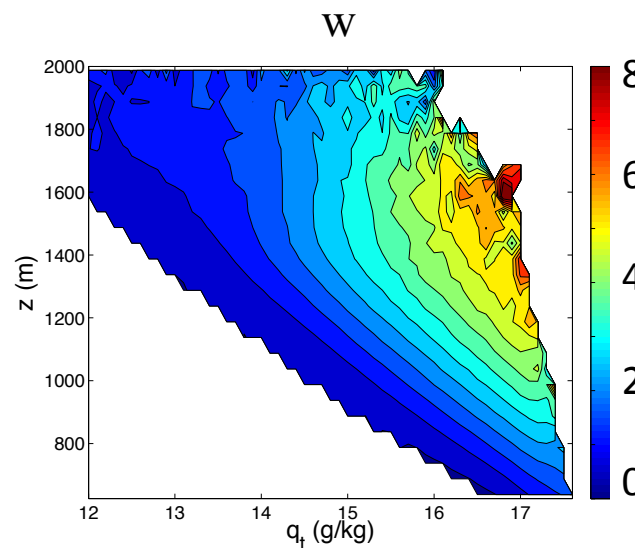
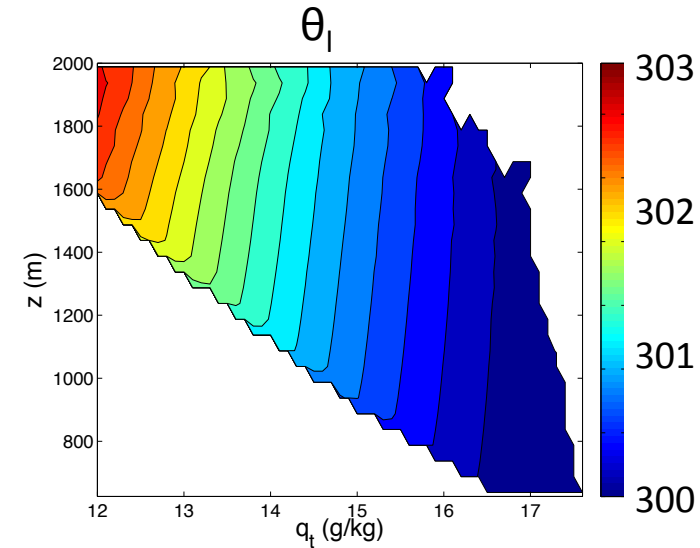
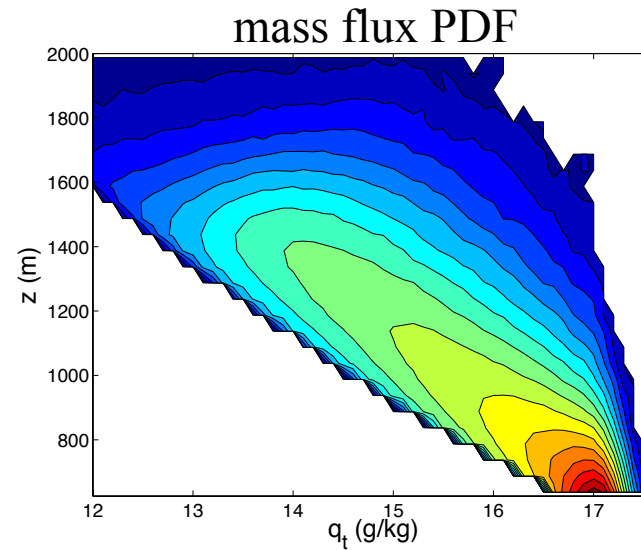
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## **a multiple plume representation of convection**

A multiple plume model should aim to reproduce realistic cloudy updraft PDFs.

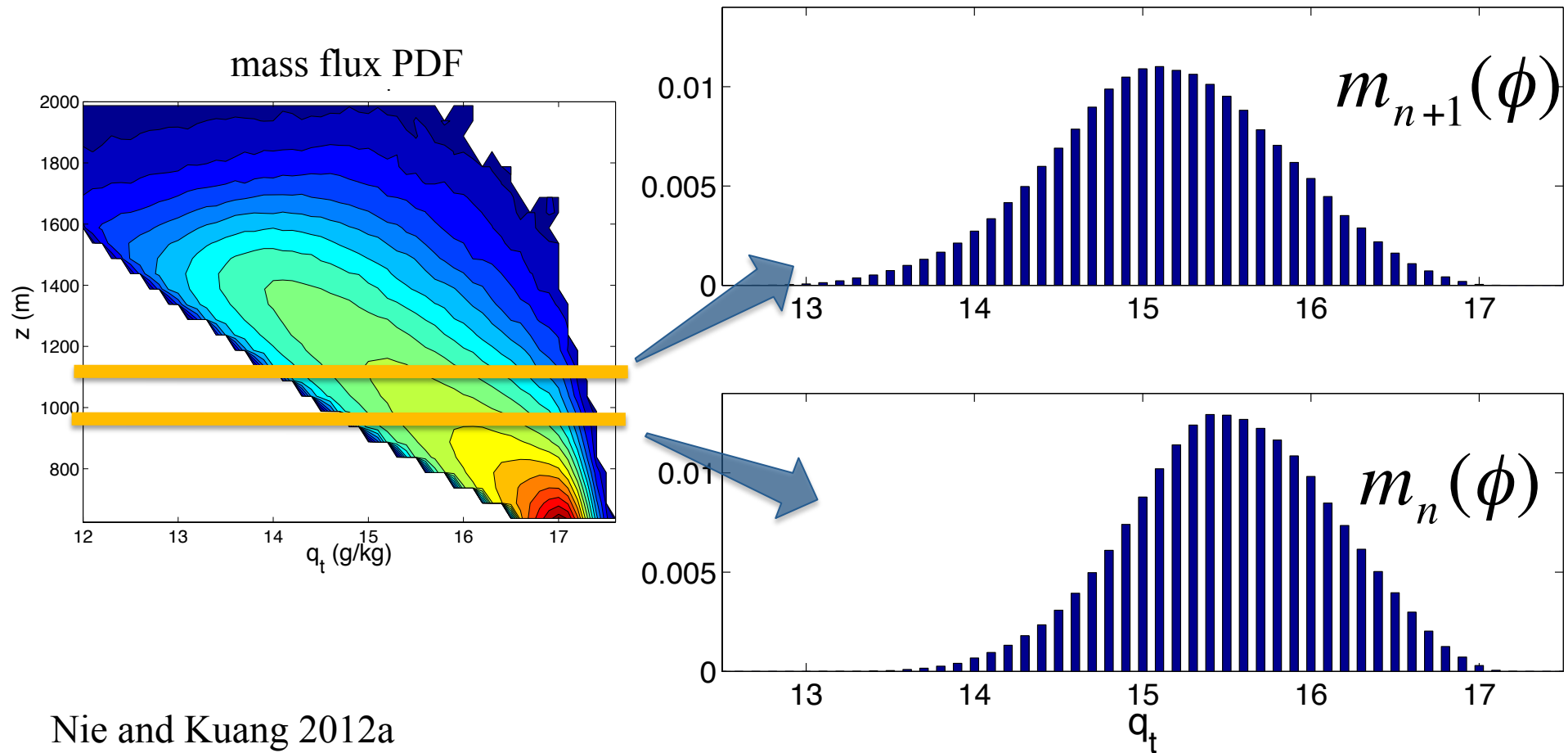
$$m_n(\phi)$$

$$\phi \sim q_t$$



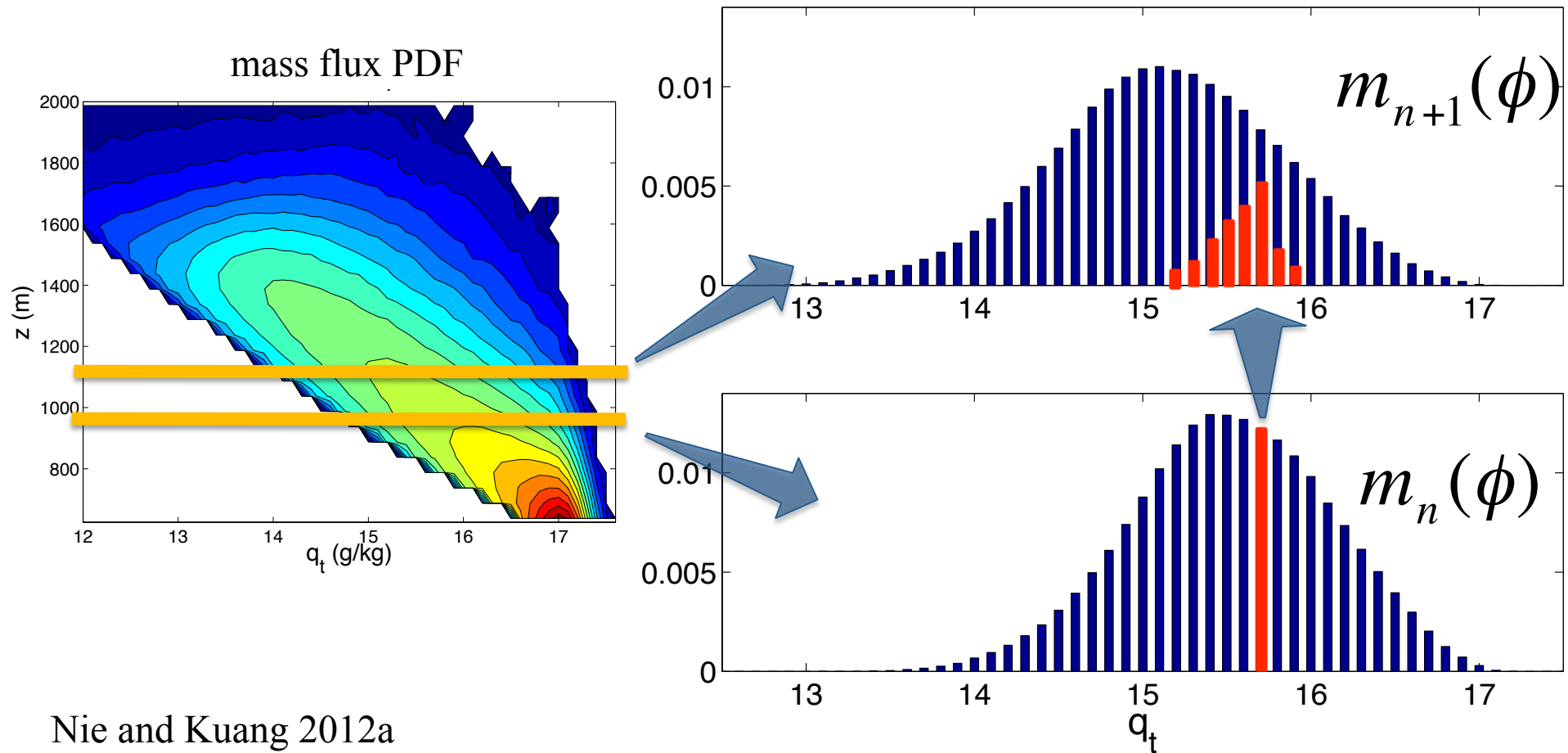
# a mapping view of the multiple plume models:

$$m_{n+1}(\phi) = G(\phi, \phi) m_n(\phi)$$



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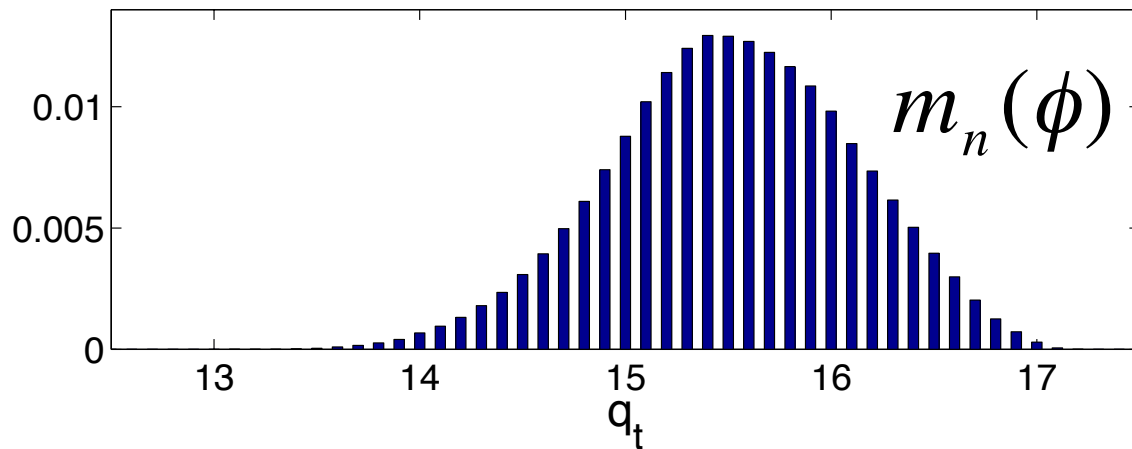
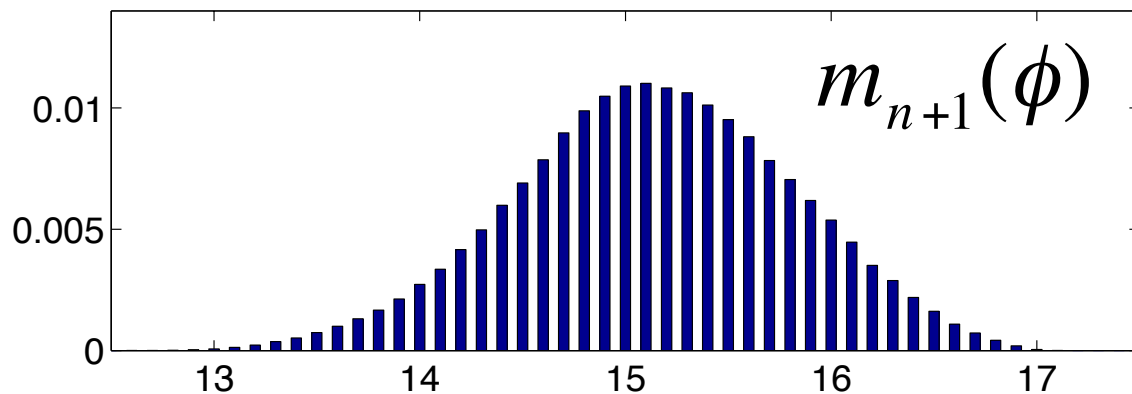


By tracking Lagrangian partials, one can diagnose the mapping matrices from LES. (Nie and Kuang 2012a)

In the mapping framework, we want to build a multi-plume model with least complexity.

## Building the model:

$$m_{n+1}(\phi) = G(\phi, \phi) m_n(\phi)$$

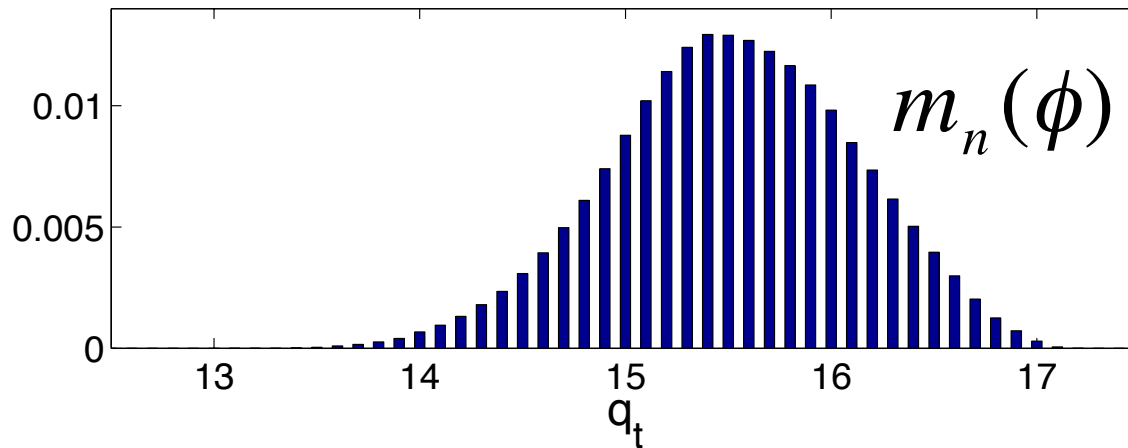
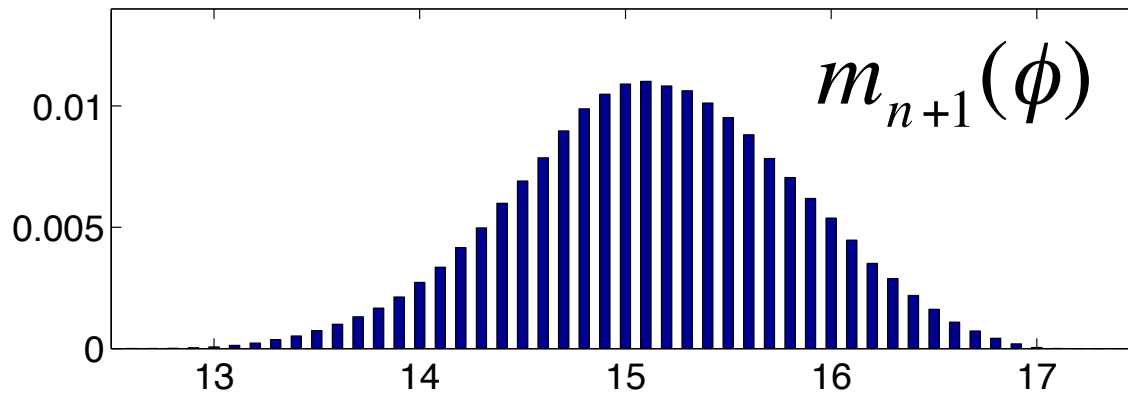




# Building the model:

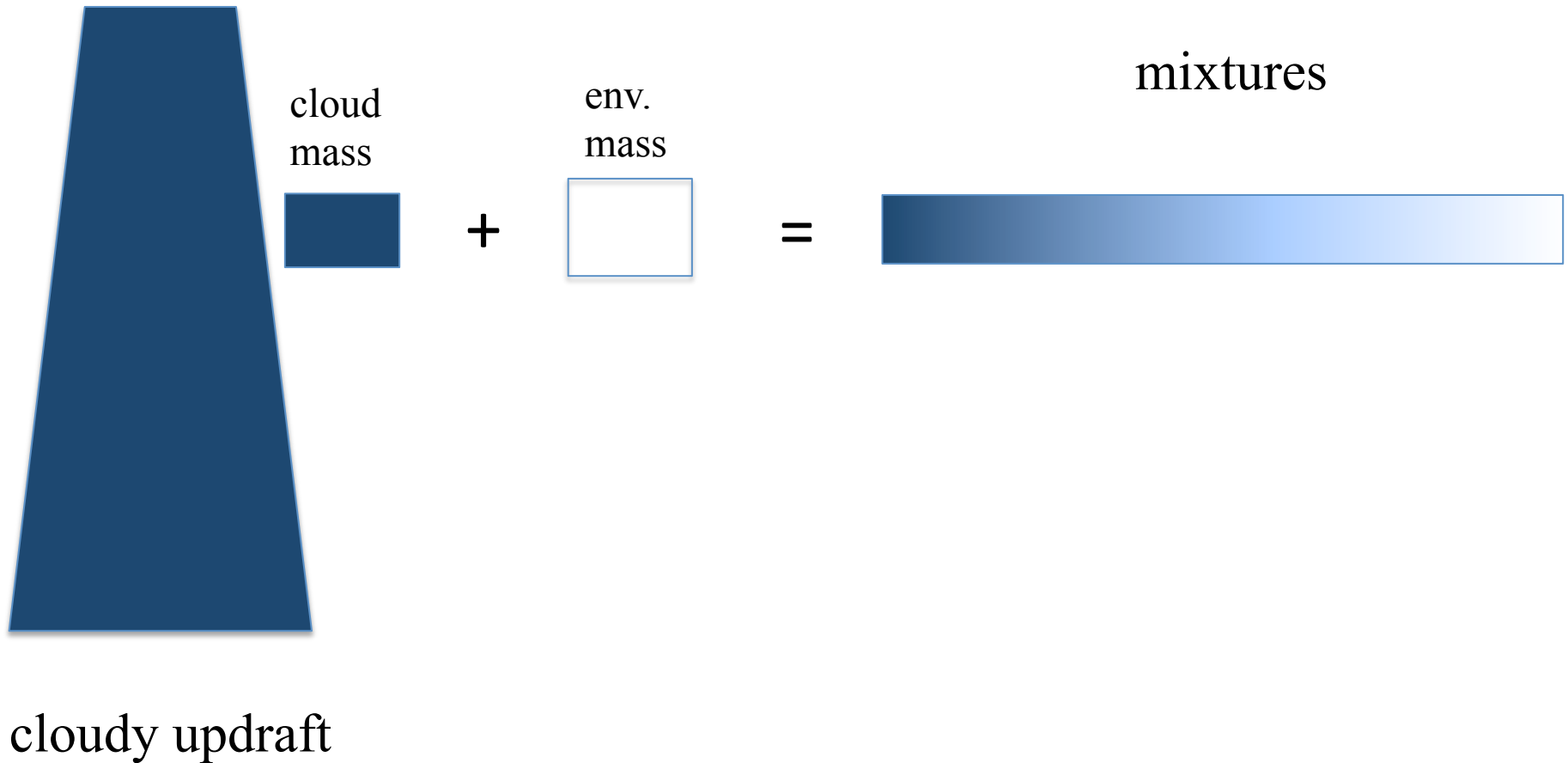
the buoyancy-sorting mechanism

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# the buoyancy-sorting mechanism:

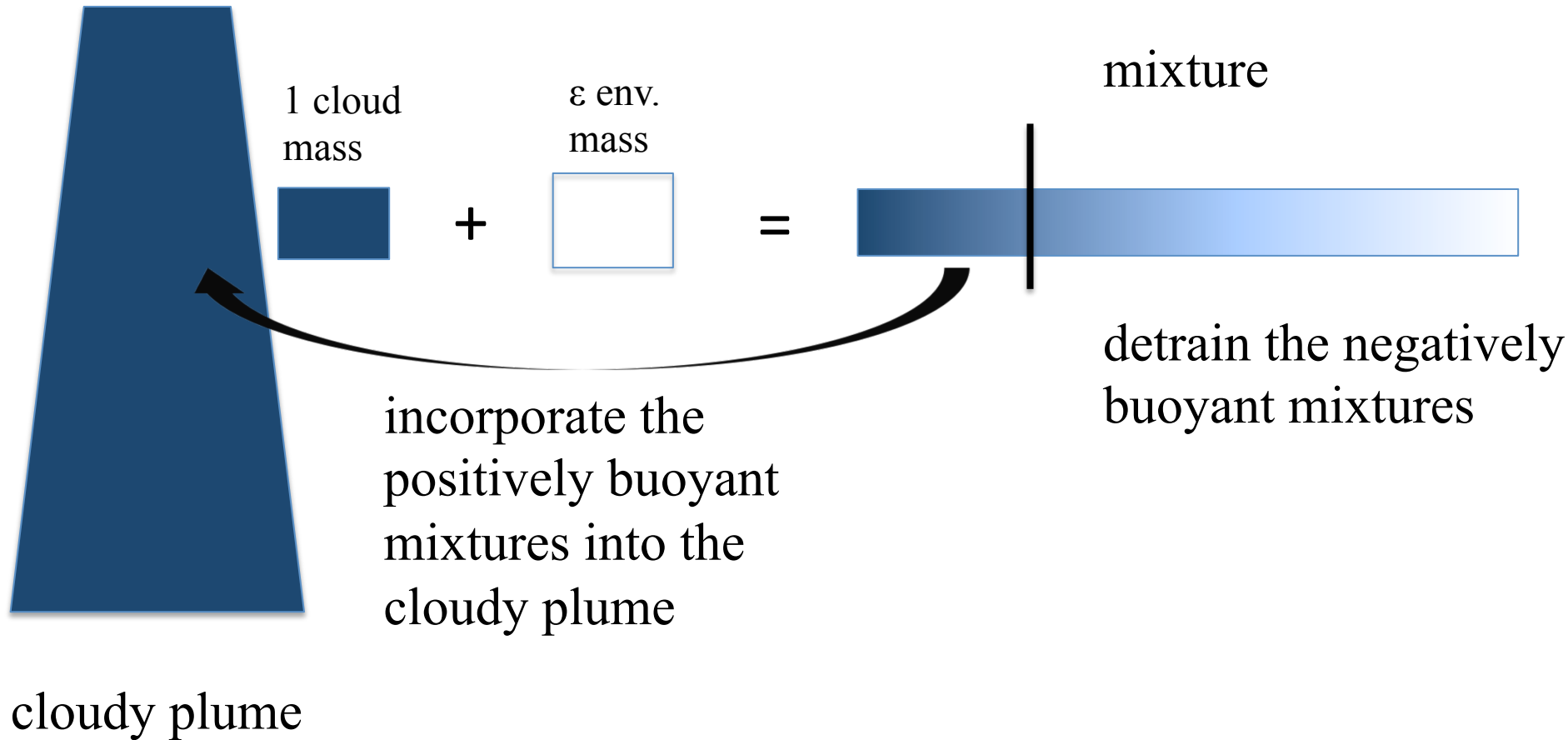
(e.g. Raymond and Blyth 1986, Emanuel 1991, Bretherton *et al.* 2004, ...)



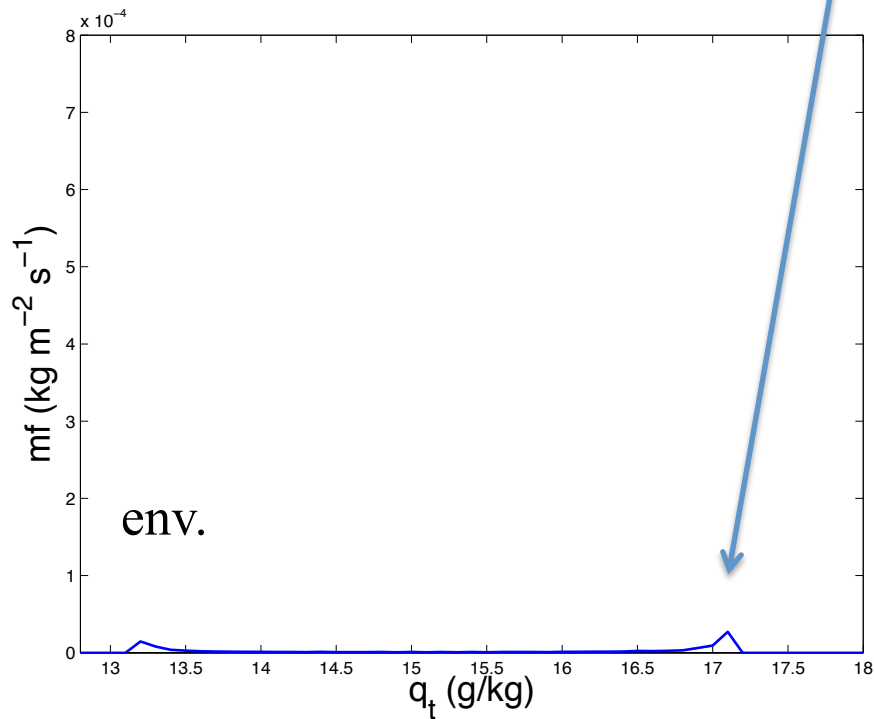
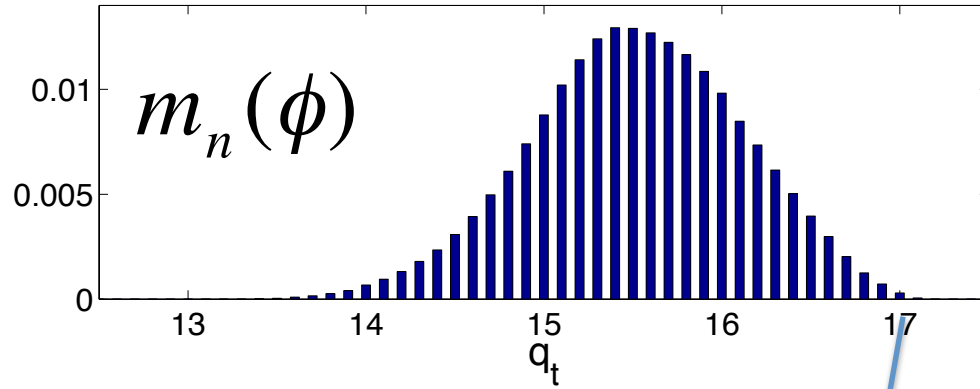
UW convective scheme  
(Bretherton *et al.* 2004)

# introductions of the buoyancy-sorting mechanism:

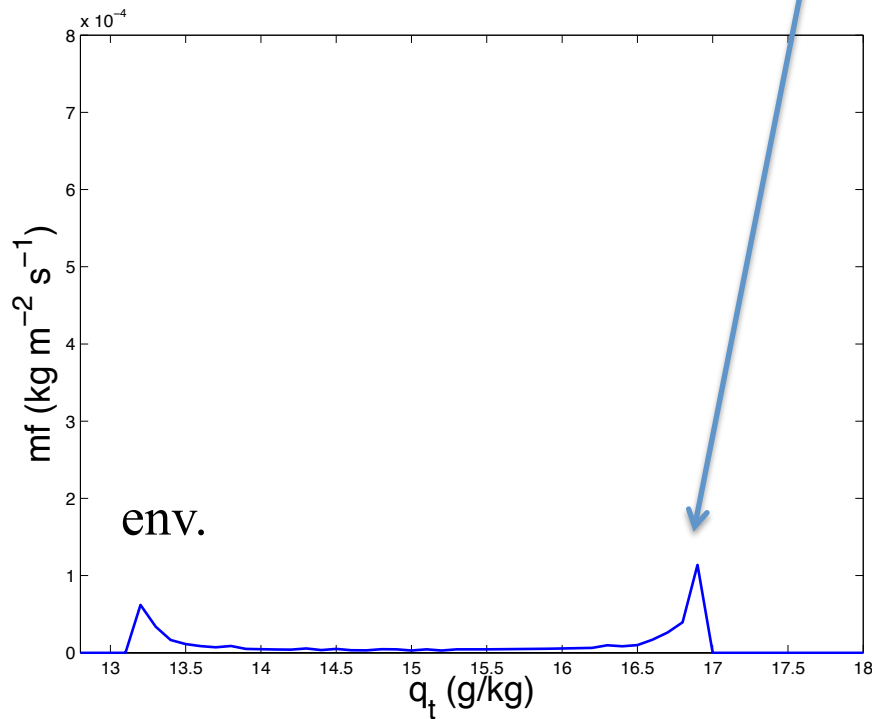
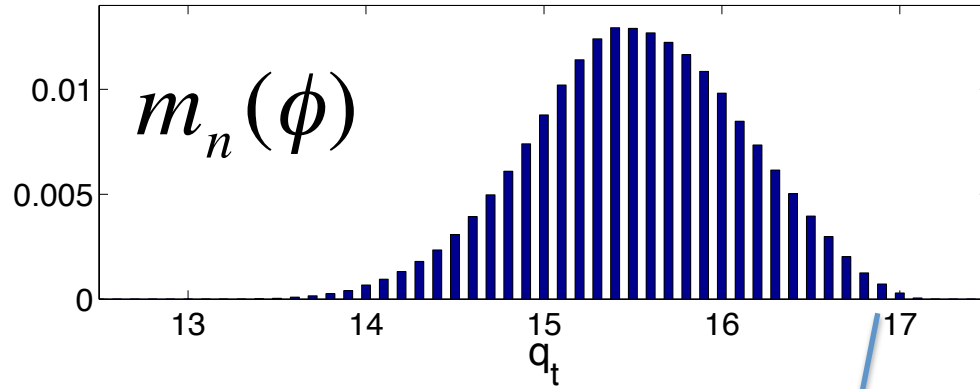
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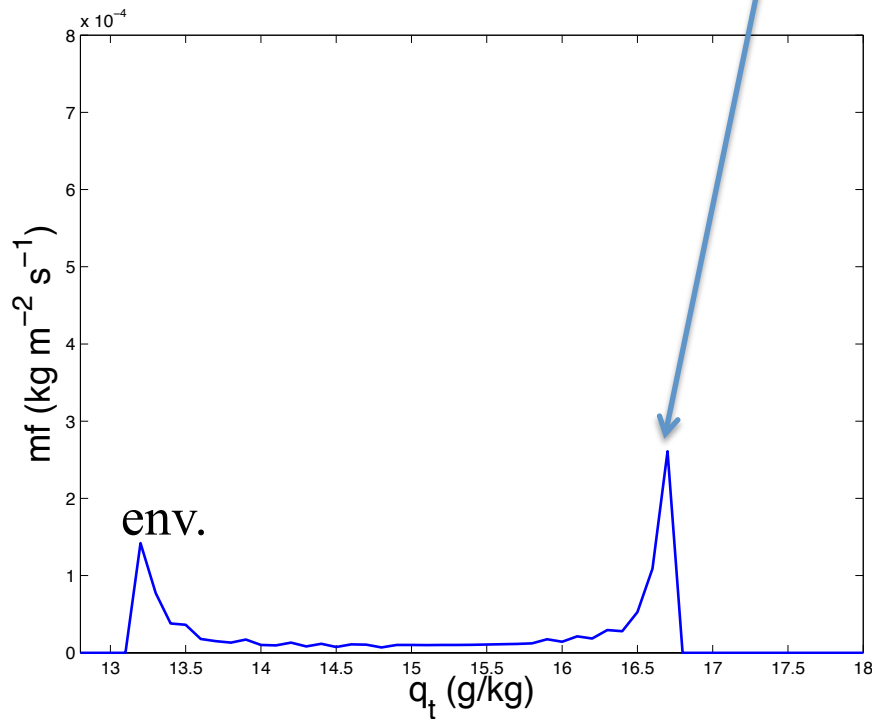
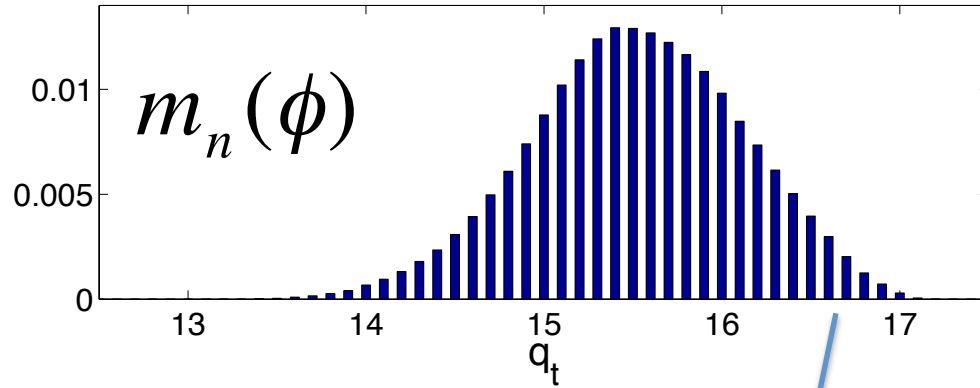
# Building the model: mapping from level $n$ to $n+1$



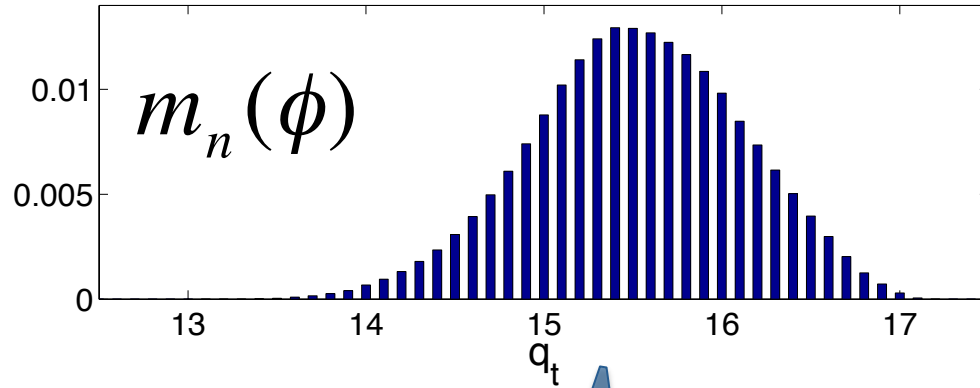
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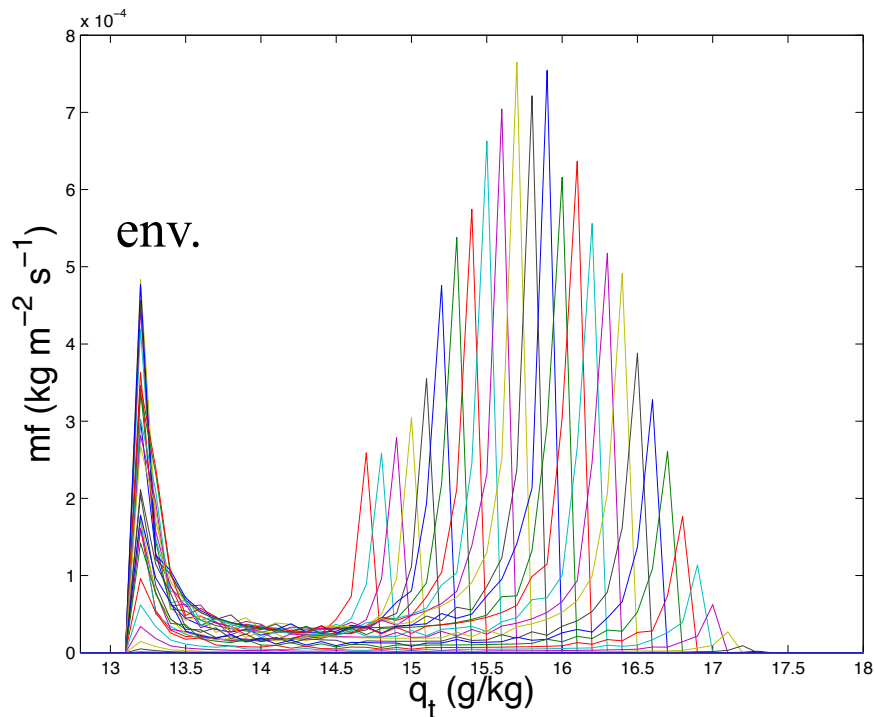
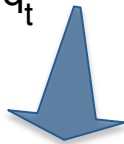
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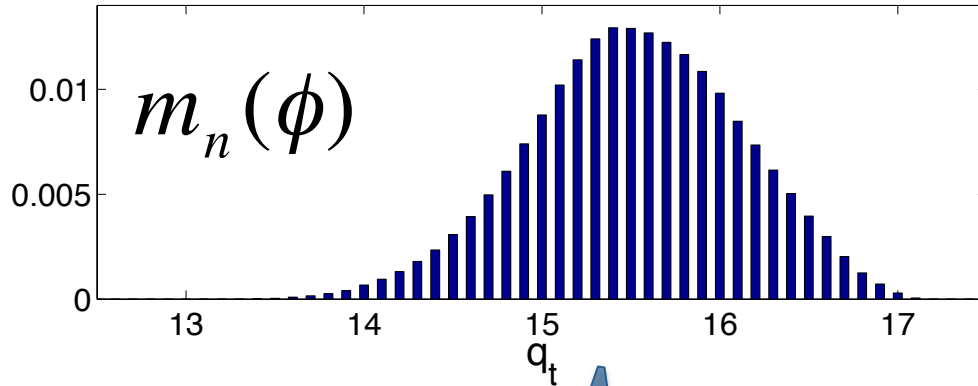
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mixing with env.



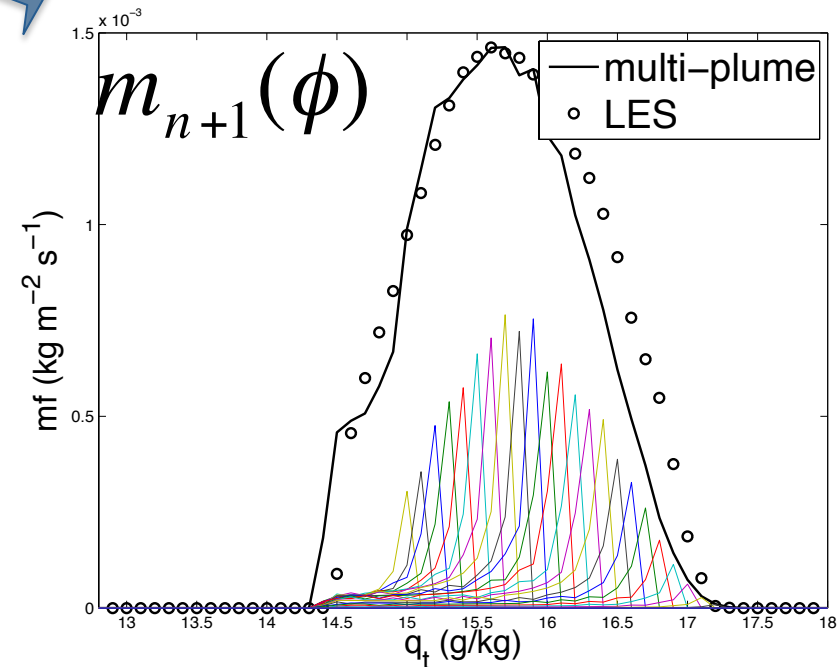
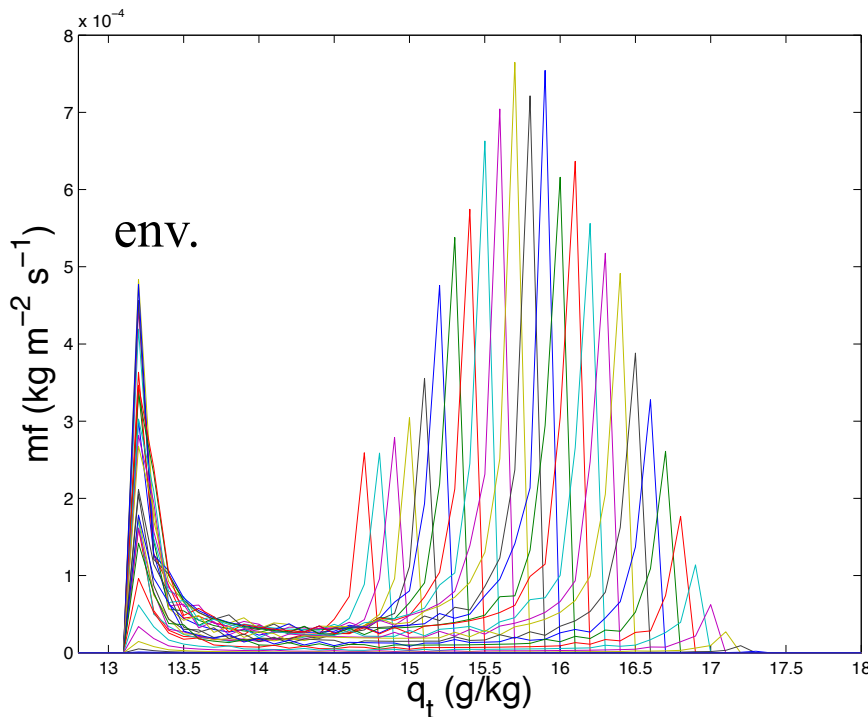
# Building the model: mapping from level n to n+1



Only “active mixtures” ( $qc > 0$  and  $w > 0$ ) are kept.  
insensitive to the criteria.

mixing with env.

sorting





# Choices of mixing distribution functions

$$P1(\chi_j) = \frac{1}{N}$$

Emanuel 1991

$$P2(\chi_j) = \frac{1 - \chi_j}{\sum 1 - \chi_j}$$

Raymond and Blyth 1986, Bretherton *et al.* 2004

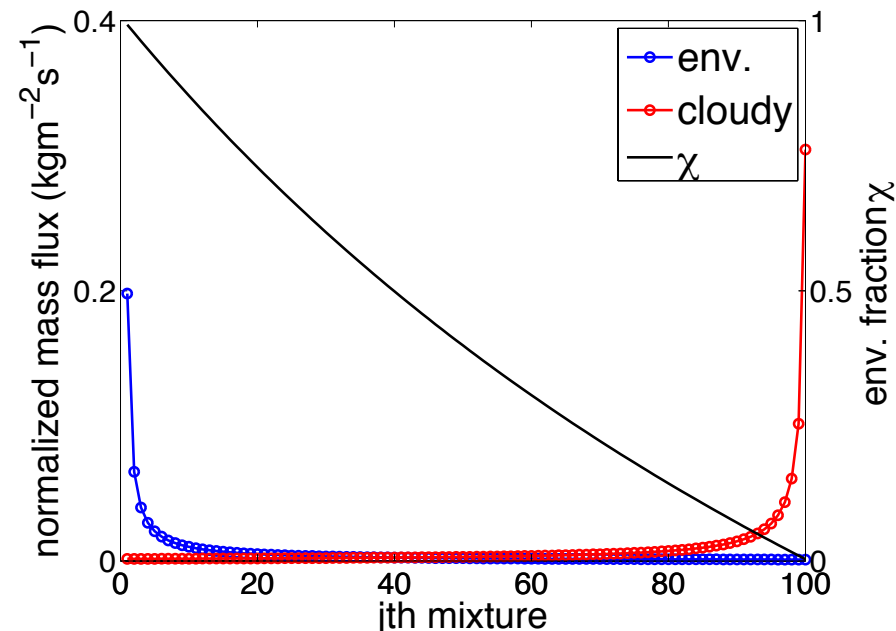
$$P3(\chi_j) = (1 - \chi_j)G(\chi_j)$$

Kain and Fritsch 1990

☑ 
$$P4(\chi_j) = \frac{1/\chi_j}{\sum 1/\chi_j}$$

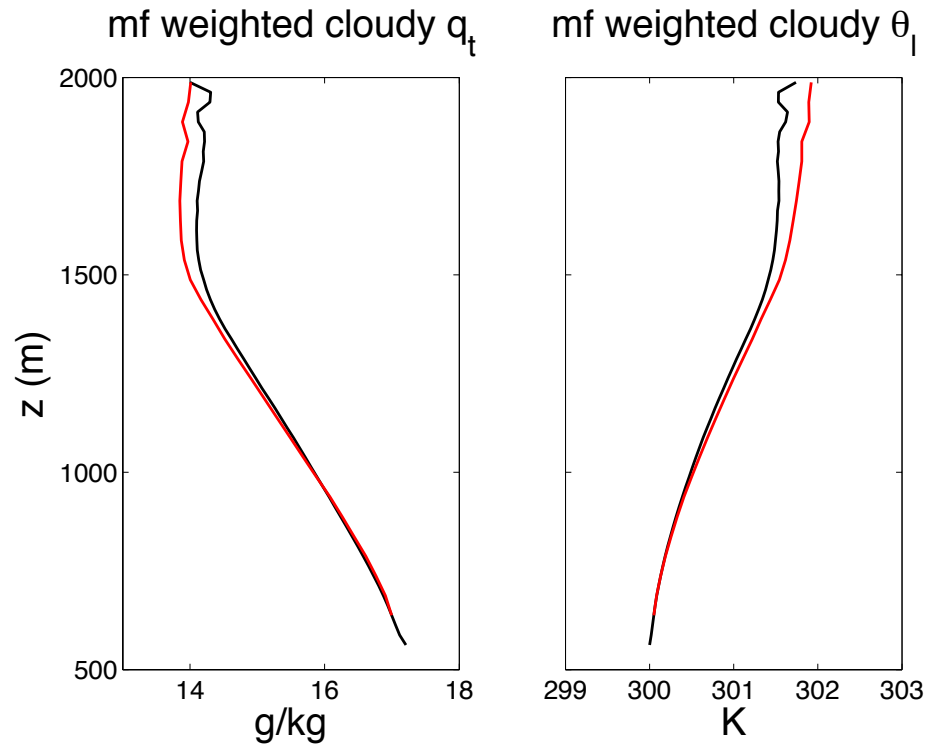
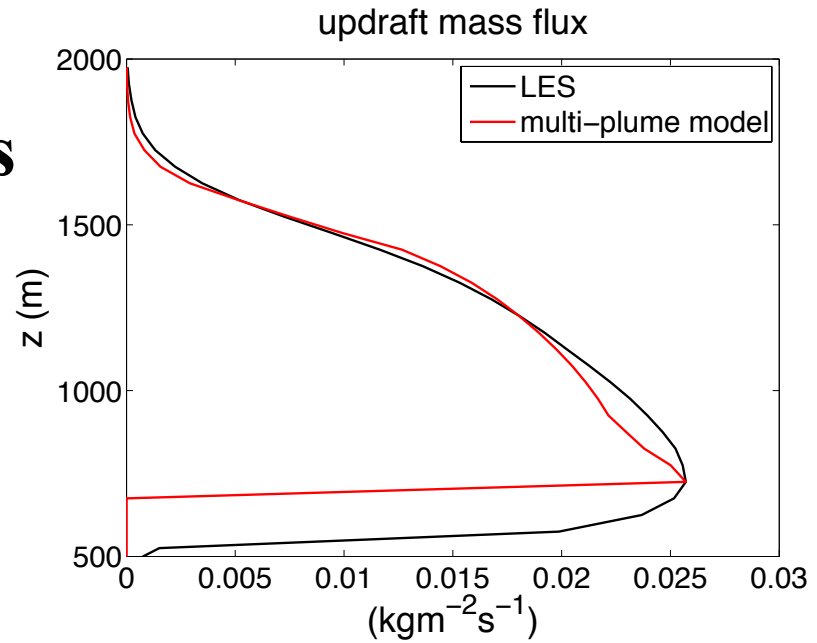
Cohen 2000

- Unlike Zhao and Austin 2003, the model here is sensitive to the choice of mixing distribution function!
- some indirect observational supports of P4 (Lu *et al.* 2012)
- consistent with some stochastic entraining parcel models (Romps and Kuang 2010, Nie and Kuang 2012b, Suselj *et al.* 2013)



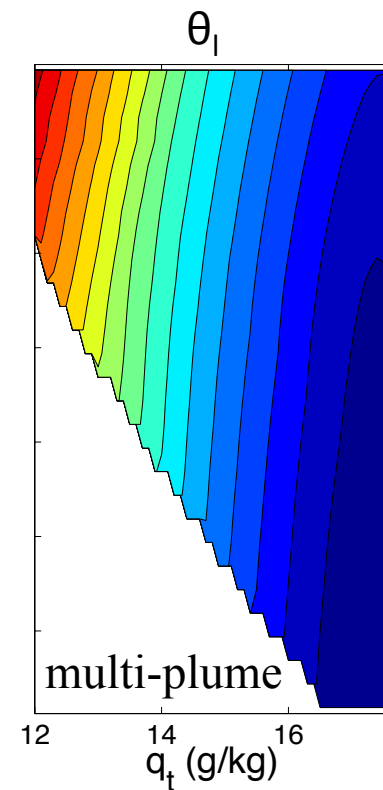
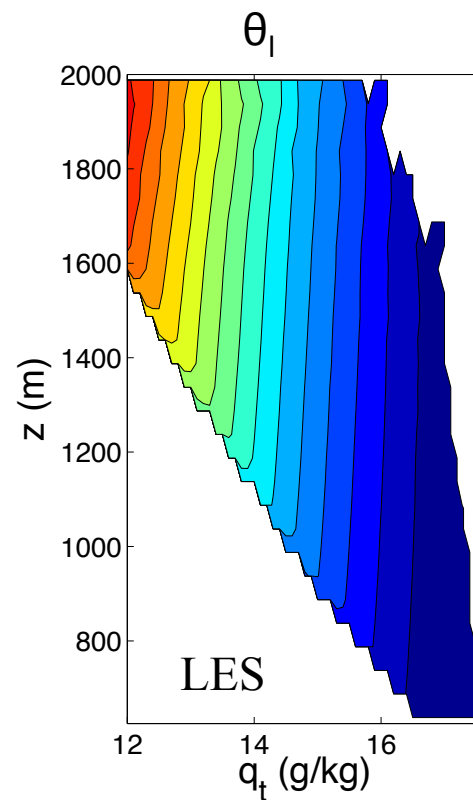
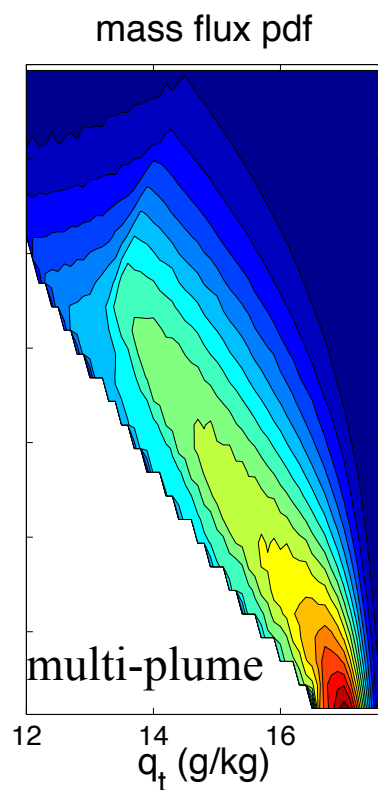
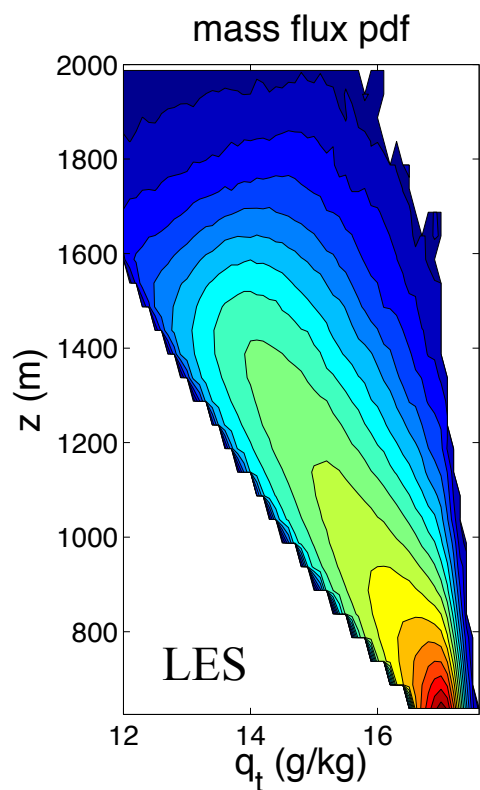
# Evaluating the model-1: thermodynamical tracers

the mf, qt, and  $\theta_1$  profiles

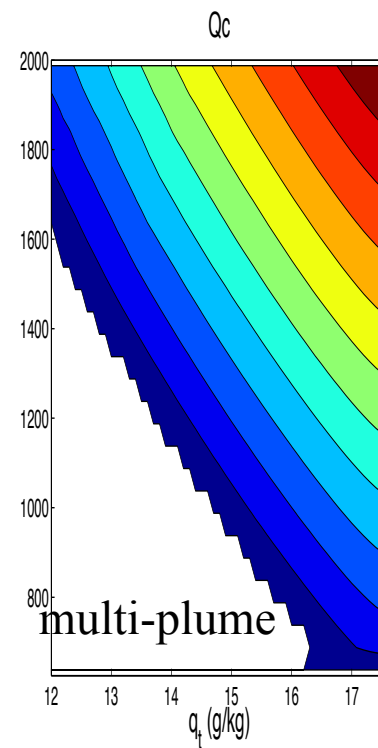
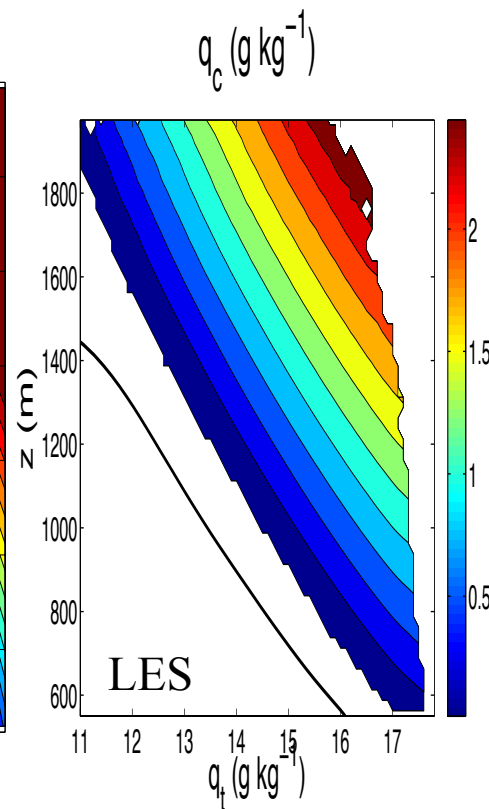
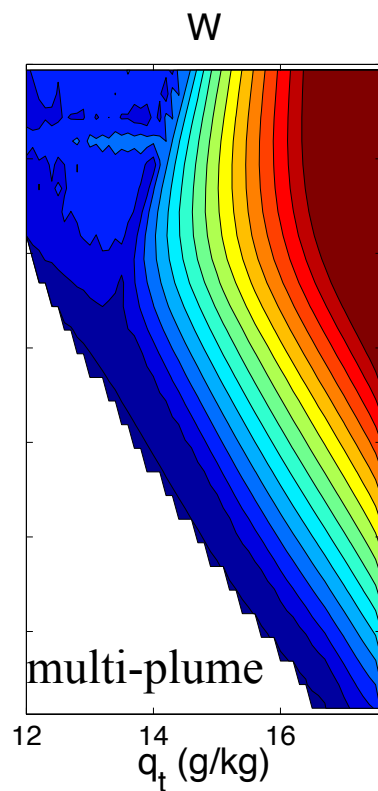
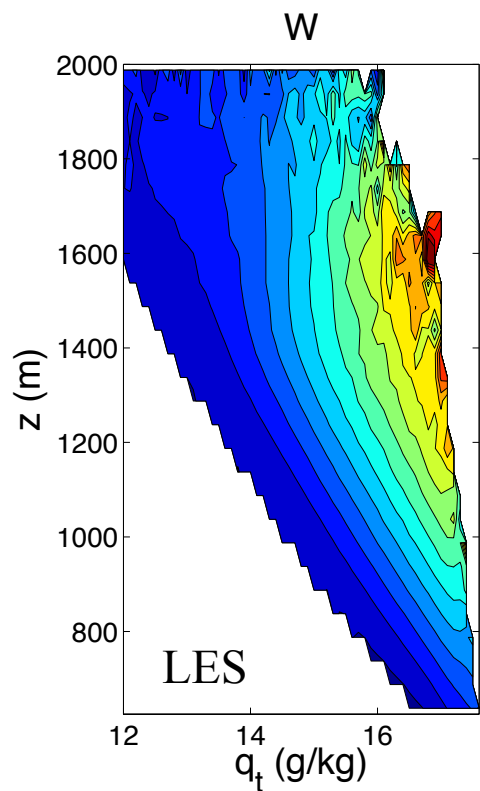


# Evaluating the model-1: thermodynamical tracers

the mf pdf and mean  $\theta_1$



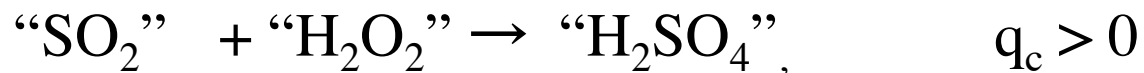
# Evaluating the model-1: thermodynamical tracers



## Evaluating the model-2: reactive chemical tracers

A LES simulation inspired by SO<sub>2</sub> aqueous phase oxidation by H<sub>2</sub>O<sub>2</sub> :

- Tracer 1 (analogous to SO<sub>2</sub>) is released from surface with a fixed flux.
- Tracer 2 (analogous to H<sub>2</sub>O<sub>2</sub>) is relaxed to a constant reference profile
- In the presence of cloud liquid water, the two tracers react



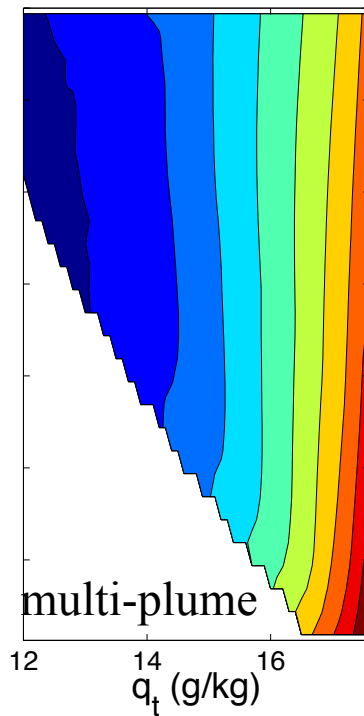
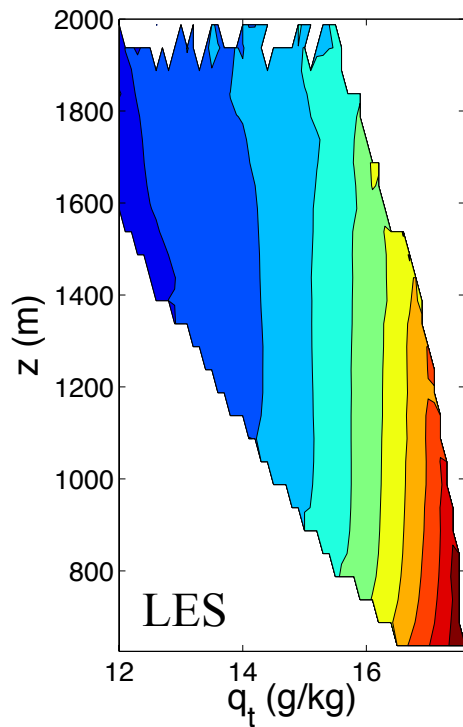
$$r = k \times Tr1 \times Tr2 \quad , k = 10^{-3}$$

Tr1 flux = 1.16 ppb/m<sup>2</sup>/s

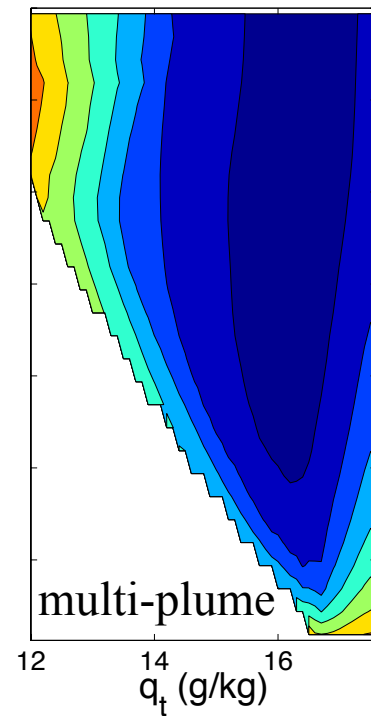
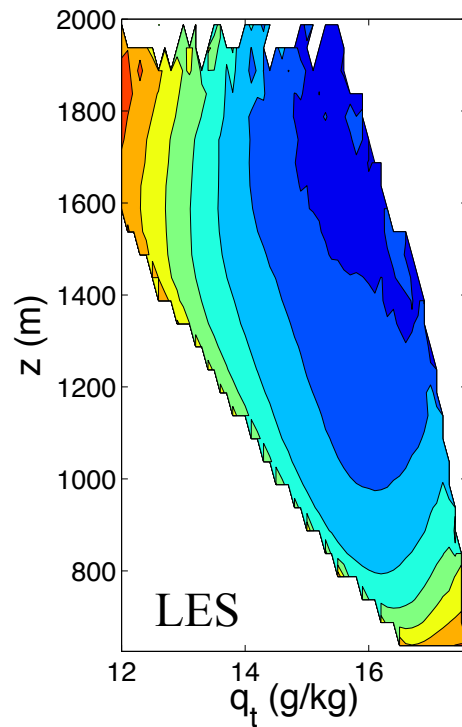
Tr2 ref. = 1 ppb

# Evaluating the model-2: reactive chemical tracers

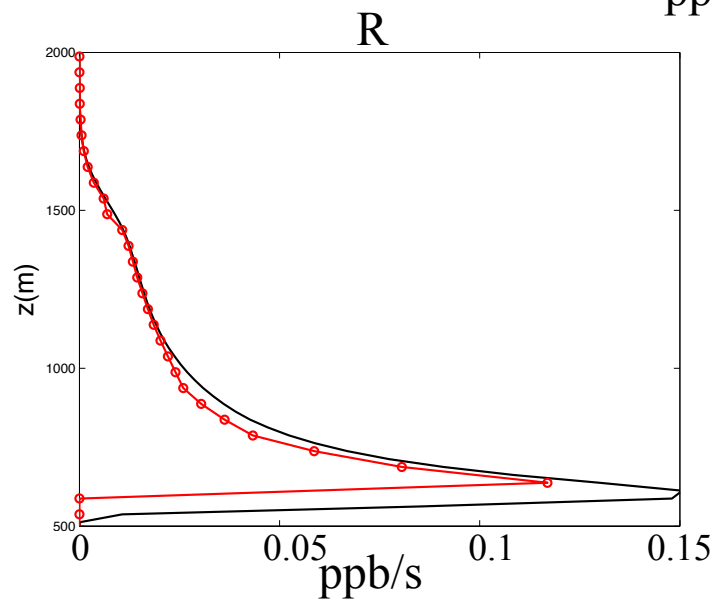
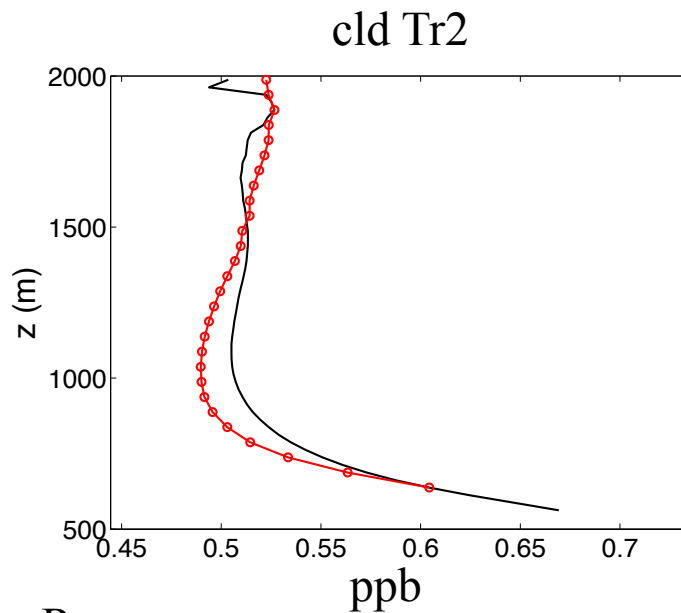
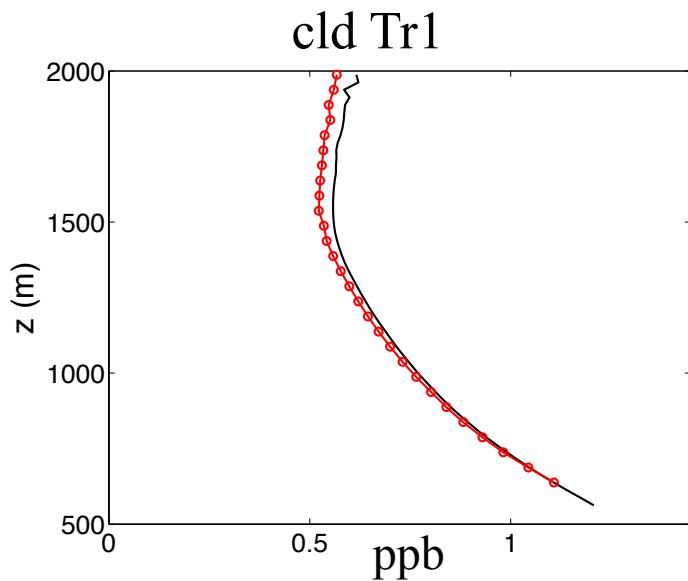
cld Tr1



cld Tr2



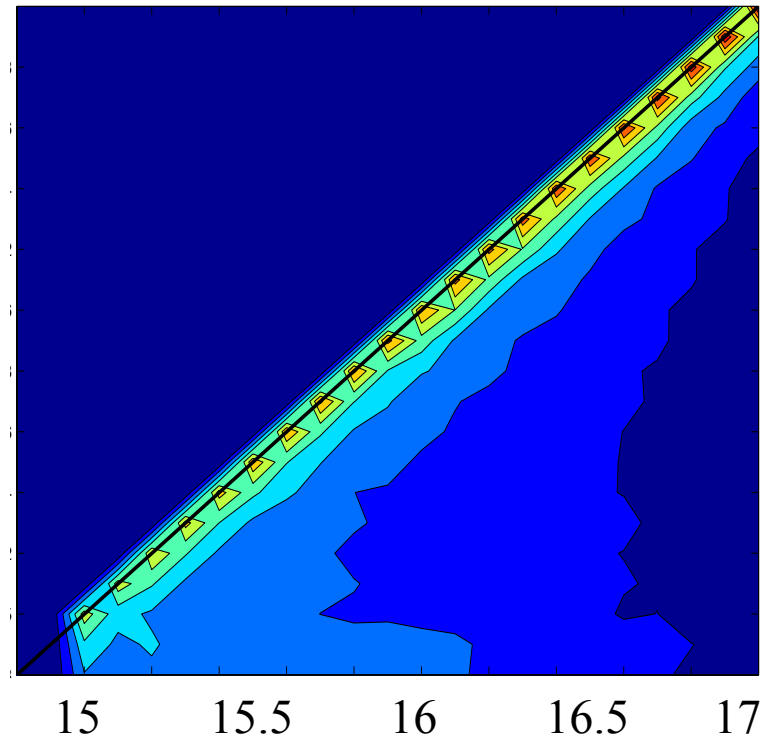
# Evaluating the model-2: reactive chemical tracers



# Discussions: comparison of the Mapping Matrices

$$m_{n+1}(\phi) = G(\phi, \phi)m_n(\phi)$$

multi-plume model



mapping from 975m to 1025m

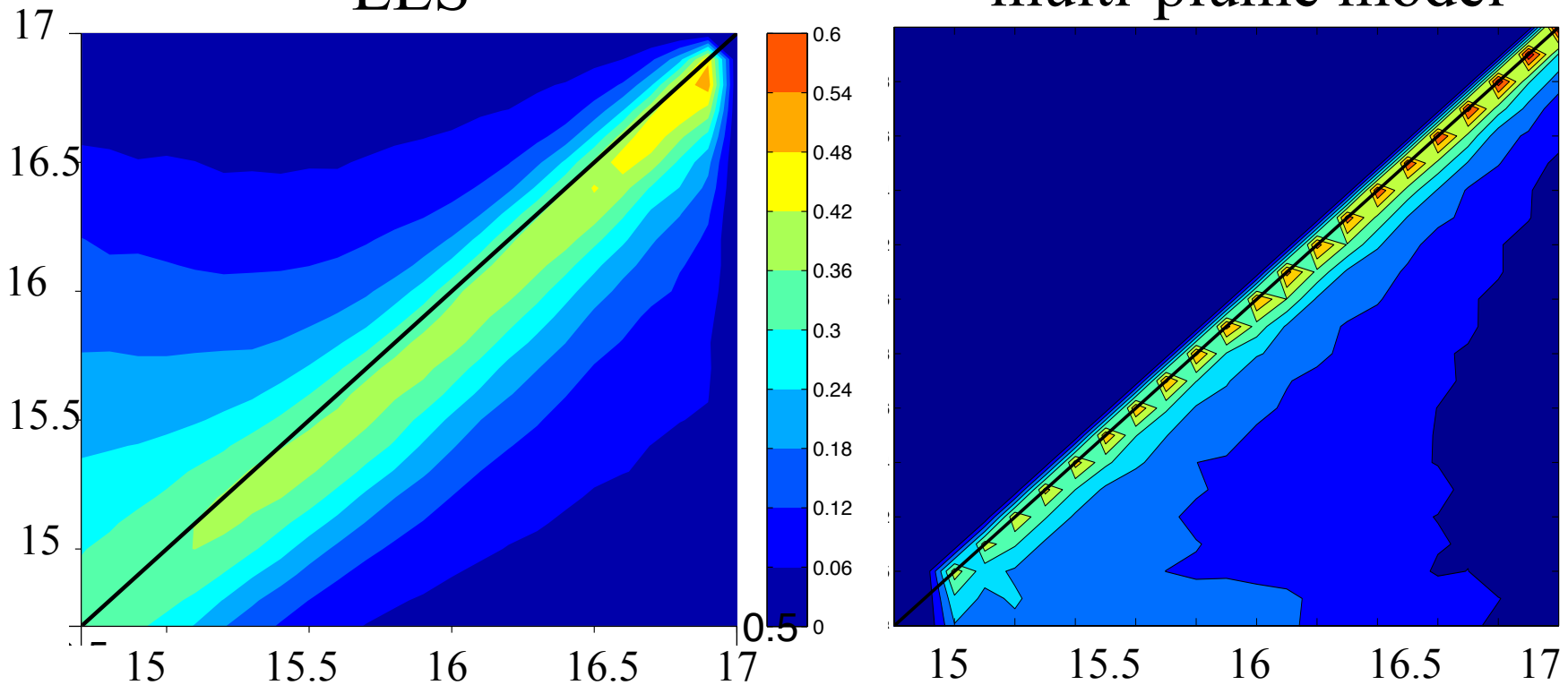


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$$m_{n+1}(\phi) = G(\phi, \phi)m_n(\phi)$$

LES

multi-plume model



mapping from 975m to 1025m

## Discussions:

- comparing it with the UW scheme:  
extend UW scheme from a bulk plume model into a multi-plume model
- comparing it with the stochastic entraining parcel models(e.g. Romps and Kuang 2010, Nie and Kuang 2012b, Suselj et al. 2013):  
a economical way to be applied in GCMs  
(although not strictly equivalent.)

## **Conclusions:**

- We built a simple multi-plume model for shallow cumulus convection combining the idea of mapping and buoyancy-sorting.
- Initial evaluation show that the simply multi-plume model well reproduces the PDFs of thermodynamical variables and reactive chemical tracers.

## Building the model: the vertical equation

UW scheme: 
$$\frac{1}{2} \frac{\partial}{\partial z} w^2 = aB - b\epsilon w^2$$

$$a=1, b=2$$

The multiply plume model:

$$\frac{1}{2} \frac{\partial}{\partial z} w^2 = aB$$

$$w_j = (1 - b\chi_j)w$$

$$a=1, b=1.5$$